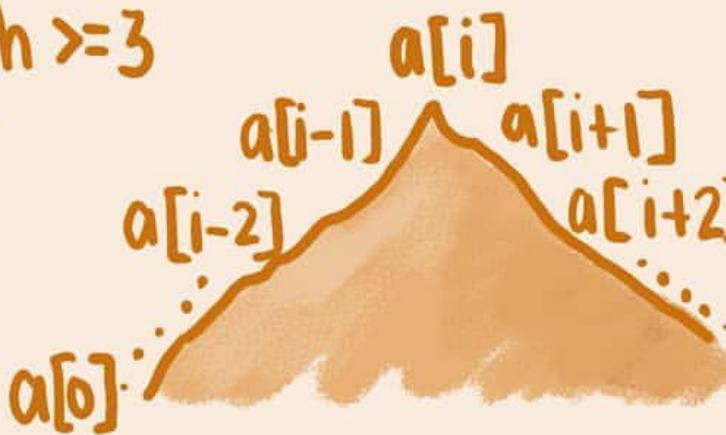


## 852. Peak Index in a Mountain Array

An array 'a' is called a mountain if -

①  $A.length \geq 3$



② There exists some 'i' such that

that

$0 \leq i < n$

and

$a[0] < \dots < a[i-1] < a[i] > a[i+1] > \dots > a[n-1]$

Find and return peak index  
'i' given it always exist.

ex. Input: [0, 1, 0] → Output : 1

## 852. Peak Index in a Mountain Array

### APPROACH - USING BINARY SEARCH

$$A = [0, 1, 2, 3, 4, \overbrace{6, 7, 8}^{\text{peak}}, \overbrace{6, 4, 3, 1}^{\text{down}}]$$

① Set  $\text{low} = 0$        $\text{mid}$   
 $\text{high} = \text{len}(A) - 1$

② Repeat while  
 $\text{low} < \text{high}$



(i) find  $\text{mid} = \frac{\text{low} + \text{high}}{2}$

(ii) if  $a[\text{mid}-1] < a[\text{mid}] < a[\text{mid}+1]$  search right (increasing)

(iii) if  $a[\text{mid}-1] > a[\text{mid}] > a[\text{mid}+1]$  search left (decreasing)

(iv) if  $a[\text{mid}-1] < a[\text{mid}] > a[\text{mid}+1]$  return mid

peak index

## 852. Peak Index in a Mountain Array

```
def peakIndexInMountainArray(self, A: List[int]) -> int:  
    low = 0  
    high = len(A) - 1  
  
    while low < high:  
        mid = (low + high) >> 1  
        ele = A[mid]  
        after = A[mid + 1]  
        before = A[mid - 1]  
  
        if before < ele and ele < after:  
            low = mid + 1 search right  
        elif before < ele and ele > after:  
            return mid found peak  
        elif before > ele and ele > after:  
            high = mid search left
```

